

# ECON 357

## Lecture 1: Introduction

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# Housekeeping issues

- No office hours (send me an email to meet).
- No TA, no problem sets, no exams.
- Classroom will be C24 (BOOTH, lower level, north side of the building), except on Oct 12 (TBA).
- Only mild usage of Chalk.

# Introduction

- This class introduces recent models of international trade.
- We will study in details key theoretical and empirical papers.
- It is essential that you master techniques from these papers.

- Class participation (20%)
- Weekly reports on papers covered in class (40%)
- Oral presentations (40%)

# What we *will* do in this class

- 1 Introduction: gravity equations, basic models of trade
- 2 Heterogeneous firms and trade
- 3 The size distribution of firms
- 4 Trade and labor
- 5 Outsourcing, FDI and off-shoring

# What we *won't* do in this class

- 1 Trade policy (e.g. Bagwell in Stanford)
- 2 Open economy macro and international finance (e.g. Obstfeld in Berkeley)
- 3 More fun stuff (e.g. Nunn in Harvard)

# Road map for this class

- Gravity equations: first pass at empirics
- Gravity equations: theory guided empirics

# Gravity equations

- First documented by Tinbergen (1962).
- Trade between country  $A$  and  $B$ ,

$$X_{AB}^t = \lambda_t \frac{(GDP_A^t)^\alpha \times (GDP_B^t)^\beta}{dist_{AB}^\gamma}$$

$$\ln X_{AB}^t = \ln \lambda_t + \alpha \ln GDP_A^t + \beta \ln GDP_B^t + \gamma \ln dist_{AB}$$

- Typical empirical estimates give  $\alpha, \beta, \gamma \approx 1$ .
- Typical  $R^2 \approx 80\%$ .

- McCallum (AER 1995)
- Trade between US States and Canadian provinces

$$\ln X_{ij} = \ln \lambda + \alpha \ln GDP_i + \beta \ln GDP_j + \gamma \ln dist_{ij} + \delta DUMMY_{ij} + \varepsilon_{ij}$$

with  $DUMMY_{ij} = 1$  if  $i$  and  $j$  in Canada.

- Incredible finding:  $e^\delta \approx 22$

- Anderson and van Wincoop (AER 2003)
- Theory grounded estimation of gravity.
- Tariff equivalent of US-Canada border about 50% (large but not implausible).

Simple theoretical model:

- goods differentiated by country of origin (Armington assumption)
- endowment economy (may be relaxed).
- identical homothetic preferences, approximated by CES.
- multiplicative trade costs (Samuelson's iceberg costs)
- perfect competition

- Optimal consumption given by:

$$\begin{aligned} \max_{c_{ij}} & \left( \sum_i q_{ij}^{\frac{\sigma-1}{\sigma}} \right)^{\frac{\sigma}{\sigma-1}} \\ \text{s.t.} & \sum_i p_{ij} q_{ij} = Y_j \end{aligned}$$

with  $\sigma$  the elasticity of substitution across goods.

# Gravity with Gravitas

- Perfect competition  $\Rightarrow p_{ij} = \tau_{ij} p_i$
- Bilateral exports:  $X_{ij} = p_{ij} q_{ij}$
- Market clearing:  $Y_i = \sum_j X_{ij}$

- Isoelastic demand:

$$X_{ij} = \left( \frac{\tau_{ij} p_i}{P_j} \right)^{1-\sigma} Y_j$$

$$\text{with } P_j = \left( \sum_i (\tau_{ij} p_i)^{1-\sigma} \right)^{\frac{1}{1-\sigma}}$$

## Proposition

If trade costs are symmetric ( $\tau_{ij} = \tau_{ji}$ ) then,

$$X_{ij} = \frac{Y_i Y_j}{Y_W} \left( \frac{\tau_{ij}}{P_i P_j} \right)^{1-\sigma}$$

with the price indices solution to,

$$P_j^{1-\sigma} = \sum_i s_i \left( \frac{\tau_{ij}}{P_i} \right)^{1-\sigma}, \quad \forall j.$$

Notes:

- 1  $X_{ij}$ ,  $Y_i$ ,  $Y_j$ ,  $Y_W$  observable
- 2  $(\tau_{ij})^{1-\sigma}$  can be estimated through OLS with fixed effects
- 3 Then  $P_i$ 's can be recovered

## Proposition

$$X_{ij} = \frac{Y_i Y_j}{Y^W} \left( \frac{\tau_{ij}}{P_i P_j} \right)^{1-\sigma}$$

- Size matters: larger (richer) countries import more and export more.
- Trade barriers matter: bilateral trade barriers ( $\tau_{ij}$  large) reduce trade.
- Novel prediction: for given bilateral trade barriers, more "remote" countries import (and export) less.
- Key ingredient: price indices depend on relative sizes and relative trade barriers.

## Proposition

*i* and *j* are in the same country, *k* in another:  $\tau_{ij} = b \times \delta_{ij}$ ,  $\tau_{ik} = \delta_{ik}$

$$\frac{X_{ij}}{X_{ik}} = \frac{\frac{Y_i Y_j}{Y^W} \left( \frac{\tau_{ij}}{P_i P_j} \right)^{1-\sigma}}{\frac{Y_i Y_k}{Y^W} \left( \frac{\tau_{ik}}{P_i P_k} \right)^{1-\sigma}} = \frac{Y_j}{Y_k} \left( \frac{\delta_{ij}}{\delta_{ik}} \right)^{1-\sigma} b^{\sigma-1} \left( \frac{P_j}{P_k} \right)^{\sigma-1}$$

- Canada is a small country that buys mostly (expensive) foreign goods.
- The US is a large country that buys mostly (cheap) local goods.

$$P_{Ca} > P_{US}$$

- Canada trades more with itself than the US does,

$$\frac{X_{Ca',Ca} / X_{Ca',US}}{X_{US',US} / X_{US',Ca}} = \left( \frac{P_{Ca}}{P_{US}} \right)^{2(\sigma-1)} > 1$$

## Proposition

$$X_{ij} = \frac{Y_i Y_j}{Y^W} \left( \frac{\tau_{ij}}{P_i P_j} \right)^{1-\sigma}$$

- Assume only distance and border matter for trade costs,

$$\tau_{ij} = b_{ij}^{(1-\text{DUMMY}_{ij})} \times \text{dist}_{ij}^{\rho}$$

- Estimate the following equation,

$$\ln \frac{X_{ij}}{Y_i Y_j} = k + (1 - \sigma) \rho \ln \text{dist}_{ij} + (1 - \sigma) \ln b_{ij} (1 - \text{DUMMY}_{ij}) \\ - \ln P_i^{1-\sigma} - \ln P_j^{1-\sigma} + \varepsilon_{ij}$$

$$\text{s.t. } P_j^{1-\sigma} = \sum_i s_i \times \text{dist}_{ij}^{\rho(1-\sigma)} b_{ij}^{(1-\sigma)(1-\text{DUMMY}_{ij})} \times P_i^{\sigma-1}, \quad \forall j$$

## Proposition

$$X_{ij} = \frac{Y_i Y_j}{Y^W} \left( \frac{\tau_{ij}}{P_i P_j} \right)^{1-\sigma}$$

- Estimate  $\widehat{\tau_{ij}^{1-\sigma}} = \widehat{\varepsilon_{ij}}$  from,

$$\ln \frac{X_{ij}}{Y_i Y_j} = \alpha + \alpha_i + \alpha_j + \varepsilon_{ij}$$

- Solve for the  $P_i(\widehat{\tau})$ 's solution to,

$$P_j^{1-\sigma} = \sum_i s_i \times \widehat{\tau_{ij}^{1-\sigma}} \times P_i^{\sigma-1}, \quad \forall j$$

- Note: with  $\widehat{P}_i = \widehat{\alpha}_i$ , possible to test:

$$P_i(\widehat{\tau}) = \widehat{P}_i$$

- $(1 - \sigma)\rho \approx .8$ , instead of 1.5 in McCallum.
- Border effect:

$$b_{US-Can} - 1 = \begin{cases} 50\% & \text{for } \sigma = 5 \\ 10\% & \text{for } \sigma = 10 \end{cases}$$

- Canada trades 10.7 times with itself than with the US (McCallum: 22 times)
- US trades 2.24 times more with itself than with Canada.

- Gravity holds for trade in assets, bonds or equity (Portes and Rey 2005)

$$Inv_{ij} = \lambda \frac{MktCap_i \times MktCap_j}{Dist_{ij}}$$

- Gravity holds within countries (Combes, Lafourcade and Mayer 2005)
- Gravity holds for FDI (Ramondo 2008)

Other determinants of bilateral trade flows:

- Common currency
- Trade agreement
- Common language, religion, legal system
- Common border
- Colonial ties
- Social networks
- Business networks
- ...etc